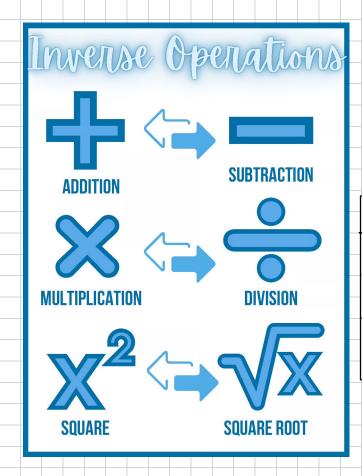
Solving linear Equations

Objective:

Students will be able to:

Explain each step in solving a linear equation.
Create and solve linear equations with one variable using the properties of equality.

New Vocabulary	Definition	Example
1. Equivalent equations	luse internet to get def d	to get examples!
2. Inverse operations		
3. Isolate		
4. Property of Equality - Addition, Subtraction, Multiplication, Division		



Properties of equality Adding, subtracting, multiplying or dividing the same number to each side of an equation produces an EQUIVALENT EQUATION.

- For any real numbers a, b, and c

Addition	16	a = 10,	then	a + c = b	+ c
Swotraction	14	a=b,	then	a-c=b	· c
Multiplication	ıf	a-b,	then	$a \cdot c = b$	c
Oivision	1f	a= b,	then	$\frac{a}{c} = \frac{b}{c}$	

Use inverse operations to solve equations. Solve for X. Ex. 1 Addition X + 15 = 20 -15 = -15 X = 512 + X = 28 -12 -12 X = 10Always solve for a positive X 30 = 15 + X -15 | -15 $\sqrt{15} = X$ Ex2. Subtraction Multiply both sides by -1 to change $-x \rightarrow +x$ Ex.3 Multiplication

Ex 4 Division Inverse operation multipuication.

$$\frac{1}{7} \left(\frac{7}{7} \right) \frac{\alpha}{7} = 10 (7)$$

$$\frac{7a}{7} = 70$$

$$\frac{x_a}{x} = 70$$
 $a = 70$
3. $\frac{4}{1}$ $\frac{m}{4}$ = 7(4)

$$1\frac{4m}{4} = 28$$

$$m = 28$$

$$\frac{2 \cdot \left(\frac{X}{I}\right)^{2I}}{X} = 3(X)$$

$$\frac{21 = 3x}{3} = 7 = x$$

$$\frac{1}{2} = \frac{3}{3} =$$